

RngStreams: An object-oriented random-number package in C with many long streams and substreams

This file describes a C interface to the RngStreams package. The backbone generator is the combined multiple recursive generator (CMRG) Mrg32k3a proposed in [1], implemented in 64-bit floating-point arithmetic. This backbone generator has period length $\rho \approx 2^{191}$. The values of V , W , and Z are 2^{51} , 2^{76} , and 2^{127} , respectively. The seed of the RNG, and the state of a stream at any given step, are 6-dimensional vectors of 32-bit integers. The default initial seed of the package is (12345, 12345, 12345, 12345, 12345, 12345).

```
typedef struct RngStream_InfoState * RngStream;
```

```
struct RngStream_InfoState {  
    double Cg[6], Bg[6], Ig[6];  
    int Anti;  
    int IncPrec;  
    char *name;  
};
```

The state of a stream from the present module. The arrays I_g , B_g , and C_g contain the initial state, the starting point of the current substream, and the current state, respectively. This stream generates antithetic variates if $\text{Anti} \neq 0$. The precision of the output numbers is increased if $\text{IncPrec} \neq 0$.

```
int RngStream_SetPackageSeed (unsigned long seed[6]);
```

Sets the initial seed of the package RngStreams to the six integers in the vector `seed`. This will be the seed (initial state) of the first stream. If this procedure is not called, the default initial seed is (12345, 12345, 12345, 12345, 12345, 12345). If it is called, the first 3 values of the seed must all be less than $m_1 = 4294967087$, and not all 0; and the last 3 values must all be less than $m_2 = 4294944443$, and not all 0. Returns -1 for invalid seeds, and 0 otherwise.

```
RngStream RngStream_CreateStream (const char name[]);
```

Creates and returns a new stream with identifier `name`, whose state variable is of type `RngStream_InfoState`. This procedure reserves space to keep the information relative to the `RngStream`, initializes its seed I_g , sets B_g and C_g equal to I_g , sets its antithetic and precision switches to 0. The seed I_g is equal to the initial seed of the package given by `RngStream_SetPackageSeed` if this is the first stream created, otherwise it is Z steps ahead of that of the most recently created stream.

```
void RngStream_DeleteStream (RngStream g);
```

Deletes the stream `g` created previously by `RngStream_CreateStream`, and recovers its memory.

```
void RngStream_ResetStartStream (RngStream g);
```

Reinitializes the stream `g` to its initial state: C_g and B_g are set to I_g .

```
void RngStream_ResetStartSubstream (RngStream g);
```

Reinitializes the stream `g` to the beginning of its current substream: C_g is set to B_g .

```
void RngStream_ResetNextSubstream (RngStream g);
```

Reinitializes the stream g to the beginning of its next substream: N_g is computed, and C_g and B_g are set to N_g .

```
void RngStream_SetAntithetic (RngStream g, int a);
```

If $a \neq 0$, the stream g will start generating antithetic variates, i.e., $1 - U$ instead of U , until this method is called again with $a = 0$.

```
void RngStream_IncreasedPrecis (RngStream g, int incp);
```

After calling this procedure with $incp \neq 0$, each call (direct or indirect) to `RngStream_RandU01` for stream g will advance the state of the stream by 2 steps instead of 1, and will return a number with (roughly) 53 bits of precision instead of 32 bits. More specifically, in the non-antithetic case, the instruction “ $x = \text{RngStream_RandU01}(g)$ ” when the precision is increased is equivalent to “ $x = (\text{RngStream_RandU01}(g) + \text{RngStream_RandU01}(g) * \text{fact}) \% 1.0$ ” where the constant `fact` is equal to 2^{-24} . This also applies when calling `RngStream_RandU01` indirectly (e.g., by calling `RngStream_RandInt`, etc.). By default, or if this procedure is called again with $incp = 0$, each call to `RngStream_RandU01` for stream g advances the state by 1 step and returns a number with 32 bits of precision.

```
int RngStream_SetSeed (RngStream g, unsigned long seed[6]);
```

Sets the initial seed I_g of stream g to the vector `seed`. This vector must satisfy the same conditions as in `RngStream_SetPackageSeed`. The stream is then reset to this initial seed. The states and seeds of the other streams are not modified. As a result, after calling this procedure, the initial seeds of the streams are no longer spaced Z values apart. We discourage the use of this procedure. Returns -1 for invalid seeds, and 0 otherwise.

```
void RngStream_AdvanceState (RngStream g, long e, long c);
```

Advances the state of stream g by k values, without modifying the states of other streams (as in `RngStream_SetSeed`), nor the values of B_g and I_g associated with this stream. If $e > 0$, then $k = 2^e + c$; if $e < 0$, then $k = -2^{-e} + c$; and if $e = 0$, then $k = c$. Note: c is allowed to take negative values. We discourage the use of this procedure.

```
void RngStream_GetState (RngStream g, unsigned long seed[6]);
```

Returns in `seed[]` the current state C_g of stream g . This is convenient if we want to save the state for subsequent use.

```
void RngStream_WriteState (RngStream g);
```

Prints (to standard output) the current state of stream g .

```
void RngStream_WriteStateFull (RngStream g);
```

Prints (to standard output) the name of stream g and the values of all its internal variables.

```
double RngStream_RandU01 (RngStream g);
```

Returns a (pseudo)random number from the uniform distribution over the interval $(0, 1)$, using stream g , after advancing the state by one step. The returned number has 32 bits of precision

in the sense that it is always a multiple of $1/(2^{32} - 208)$, unless `RngStream_IncreasedPrecis` has been called for this stream.

```
int RngStream_RandInt (RngStream g, int i, int j);
```

Returns a (pseudo)random number from the discrete uniform distribution over the integers $\{i, i + 1, \dots, j\}$, using stream `g`. Makes one call to `RngStream_RandU01`.

References

- [1] P. L'Ecuyer. Good parameters and implementations for combined multiple recursive random number generators. *Operations Research*, 47(1):159–164, 1999.